

# 國立臺北科技大學

九十三學年度車輛工程系碩士班入學考試

## 自動控制試題

填准考證號碼

第一頁 共二頁

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### 注意事項：

1. 本試題共六題，配分共 100 分。
2. 請按順序標明題號作答，不必抄題。
3. 全部答案均須答在答案卷之答案欄內，否則不予計分。

1. A transfer function of the control process is described as
  - (a) Write a state-space dynamic equation of the controllability canonical form. (5%)
  - (b) If the system has a feedback control law as  $u = -Kx$ , determine the matrix  $K$  such that the closed-loop system poles located at  $s = -1 \pm j$ . (5%)
  - (c) Determine the gain matrix  $L$  of the state observer, which satisfy poles of the estimation error to locate at  $s = -2 \pm j$ . (5%)
  - (d) Find the controller's transfer function  $G_c(s)$ . (5%)
2. A block diagram of the control system is shown in Fig. 1. If the system input is a ramp function  $r(t) = at, t \geq 0$ . Please find parameters  $K_a$  and  $K_b$  such that the system's damping ratio is 0.5 and the system steady-state error is zero. (15%)

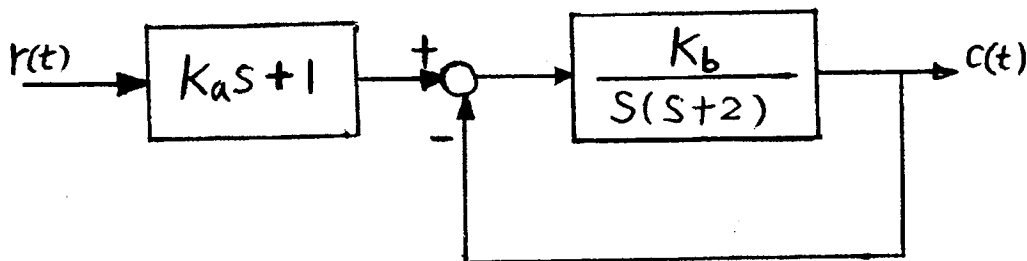


Fig. 1

3. A  $RLC$  circuit diagram is shown in Fig. 2.

(a) Plot the block diagram of the system. (10%)

(b) Determine the transfer functions  $\frac{E_o(s)}{E_i(s)}$  and  $\frac{E_n(s)}{E_n(s)}$ . (10%)

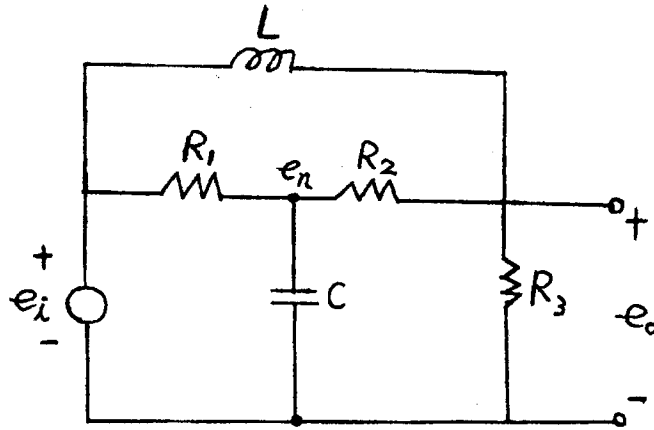


Fig. 2

4. A mechanical vibration system consists of a mass  $M$ , a spring  $K$  and a damper  $B$ , which is shown in Fig. 3(a). When 2 N of force  $f$  (step input) is applied to the system, the mass vibration response curve of the system is plotted in Fig. 3(b). Determine the parameters  $M$ ,  $B$  and  $K$  from this response curve. (15%)

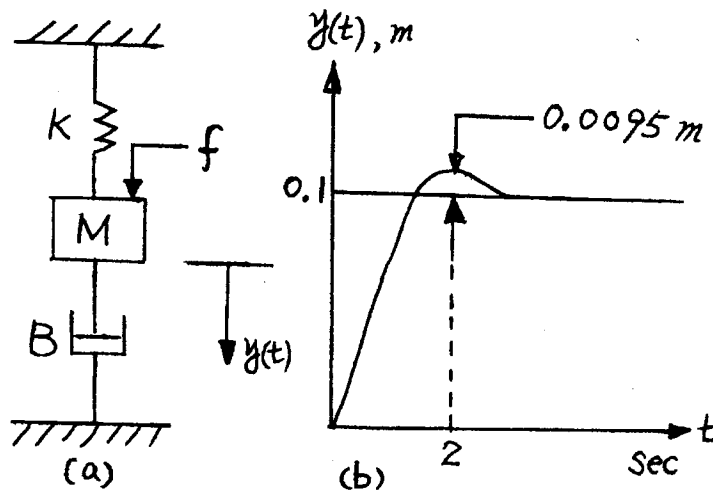


Fig. 3

5. Consider a feedback control system is shown in Fig. 4(a). The open-loop transfer function  $G(s)$  is asymptotically stable, which Nyquist plot is shown in Fig. 4(b).

(a) What is the type of  $G(s)$ ? Explain your reason. (5%)

(b) What is the stable range of parameter  $K$  for the closed-loop system? (5%)

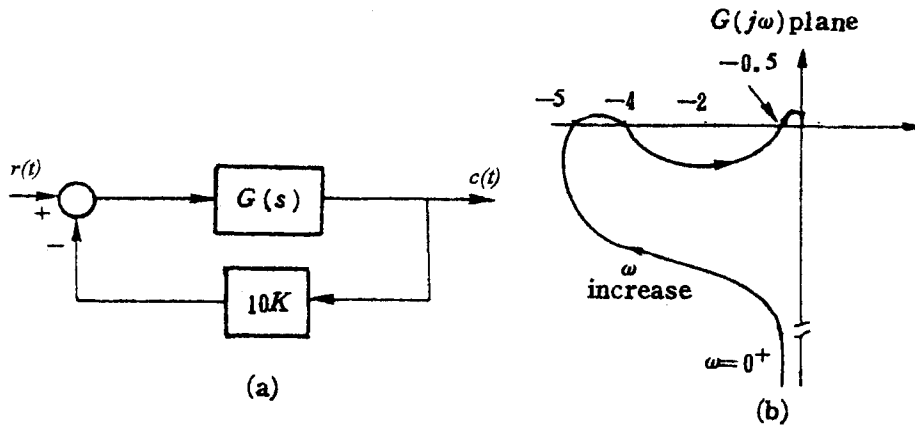


Fig. 4

6. A block diagram of the control system is shown in Fig. 5. Please add a cascade compensator  $H(s)$ , a controller's gain  $A$ , and the feedback coefficients  $k_1$ ,  $k_2$  and  $k_3$  such that the transfer function of the closed-loop system become of  $\frac{Y(s)}{R(s)} = \frac{4(s+2)}{(s+2)^2 + 4}$ .

(20%)

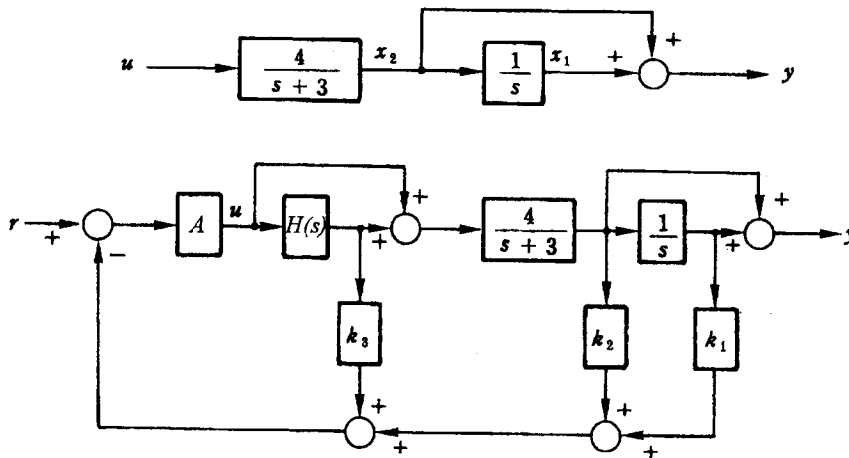


Fig. 5